

Evolution and Online Optimization of Central Pattern Generators for Modular Robot Locomotion

Daniel Marbach daniel.marbach@epfl.ch http://birg.epfl.ch/page32031.html

Master Thesis Swiss Federal Institute of Technology Lausanne Biologically Inspired Robotics Group (BIRG)

Outline



Please do not hesitate to ask questions at any time!

- 1. Introduction
- 2. Co-evolution of configuration and control
- 3. Online optimization / adaptation
- 4. Questions

Goals



- Modular robot locomotion control
 - Distributed, asynchronous and reliable controller
 - Testing YaMoR in simulation
- Bio-inspired locomotion control
 - Nonlinear oscillators as canonical subsystem of CPG
 - Which coupling types are appropriate?
 - Which coupling schemes should we use?
- Self-organization of locomotion
 - Offline: Co-evolution of configuration + CPG
 - Online: Fast optimization / adaptation of locomotion

Motivation



- Autonomous machines
 - 'Emergent functionality' is becoming increasingly important in today's technology
 - Self-organization and adaptation are key concepts
 - MR is a perfect framework to design autonomous machines (versatility, adaptability, reliability)
- Test bed for research in:
 - Complex, distributed and synergetic systems
 - Multi-agent systems, distributed learning
 - Many degree of freedom robot control

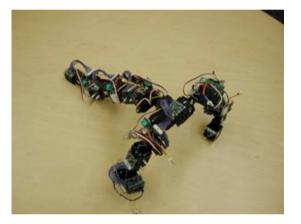
Modular Robotics



• Hardware







M-TRAN II (AIST)

PolyBot G3 (PARC) CONRO (USC)

Modular Robotics



- YaMoR
 - Length: 94 mm; Weight: 250 grams
 - Manual reconfiguration (Velcro)
 - Modules are self-contained
 - RC-servo strong enough to lift three other modules
 - Each module is equipped with an FPGA
 - Wireless communication via BlueTooth







- Gait control tables
 - Each column contains the action sequence of a module
 - Centralized master-slave approach
 - E.g. M-TRAN
- Hormone-based control
 - MR is a distributed system with dynamic topology
 - Synchronous distributed approach, CONRO.
 - Digital hormones are used to implement distributed synchronization algorithms.



- Role-based control
 - Asynchronous distributed approach
 - Modules periodically send synchronization signals to the children
 - Each module acts as master of its sub tree
 - Disadvantage: Abrupt jumps in the generated trajectories
- Constraint-based control
 - MR is *not* a multi-agent system
 - MR is a distributed network of N embedded processors

Vertebrate locomotion



- Rhythmic activities
 - Efficient locomotion but complex control
 - Synchronization at specific phase differences is essential
- Central Patter Generator (CPG)
 - Rhythmic neural activity induced by simple (tonic) input
 - Capability of generating distinct patterns in function of the input
 - Smooth gait transitions
 - Hierarchical decomposition into coupled oscillators
 - Sensory feedback shapes the output signals
- Symmetry of the morphology and the controller

Nonlinear Oscillators

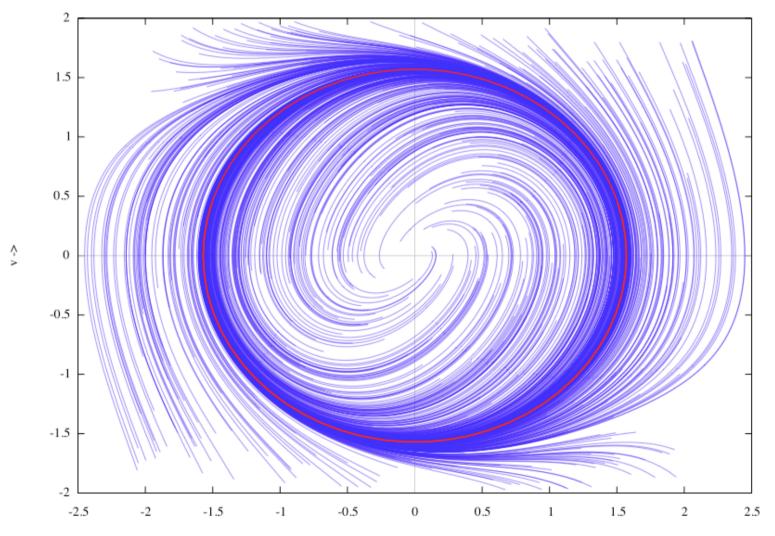


- Harmonic oscillator: $x = A \sin(2\pi ft + \varphi)$
 - Synchronous control
 - Gait transitions are not smooth
- Standalone nonlinear oscillator:
 - Asynchronous distributed control
 - Smooth gait transitions

$$\begin{cases} \tau \dot{x} = v \\ \tau \dot{v} = -\alpha \frac{x^2 + v^2 - E}{E} v - x \end{cases}$$

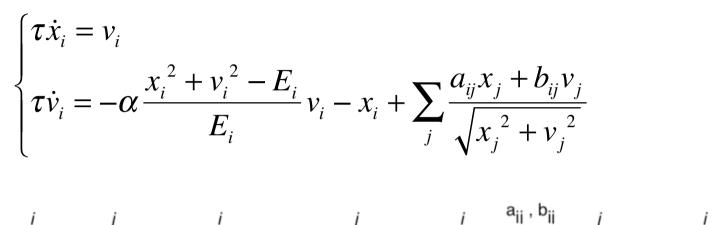
Standalone oscillator

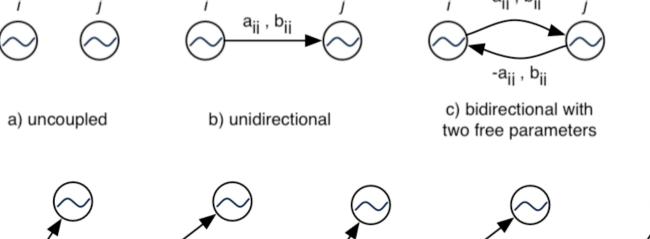


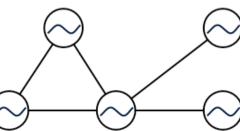


Coupled oscillators









a_{ii} , b_{ii}

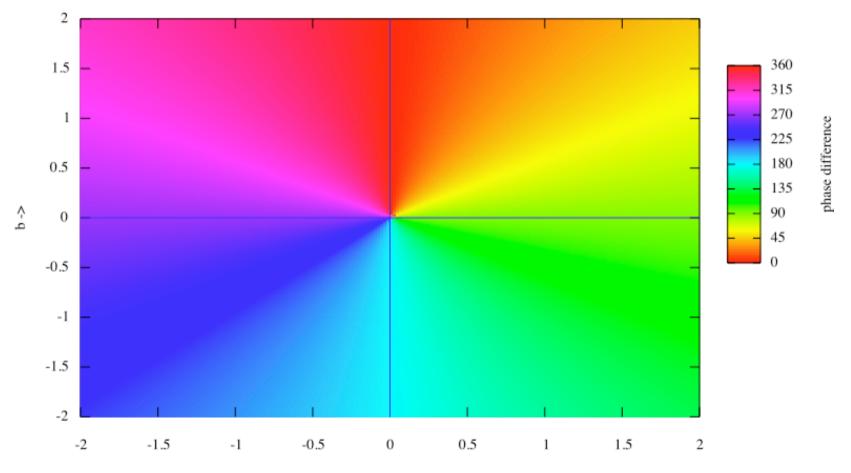
a_{ii} , b_{ii}

d) bidirectional with

four free parameters

Coupled oscillators





a ->



• Predicting the phase difference:

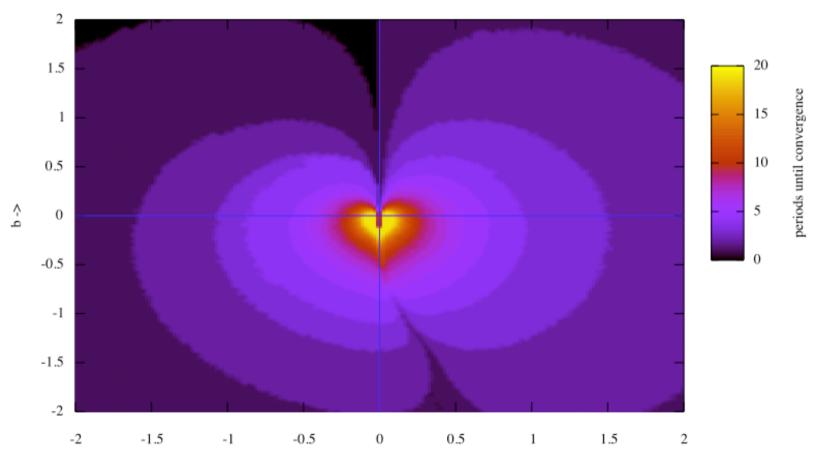
$$g(a,b) = \begin{cases} \pi/2 & (a > 0 \land b = 0) \\ \arctan\left(\frac{a}{b}\right) & (b \neq 0) \\ -\pi/2 & (a < 0 \land b = 0) \end{cases}$$

• Setting the actual phase diff. ϕ_{ij} to a specific phase $\tilde{\phi}_{ij}$

$$p_{v,ij} = r_{ij} \cdot \frac{\cos\left(\frac{\pi}{2} - \tilde{\phi}_{ij}\right) x_j + \sin\left(\frac{\pi}{2} - \tilde{\phi}_{ij}\right) v_j}{\sqrt{x_j^2 + v_j^2}} \quad \Rightarrow \qquad \phi_{ij} = \tilde{\phi}_{ij}$$

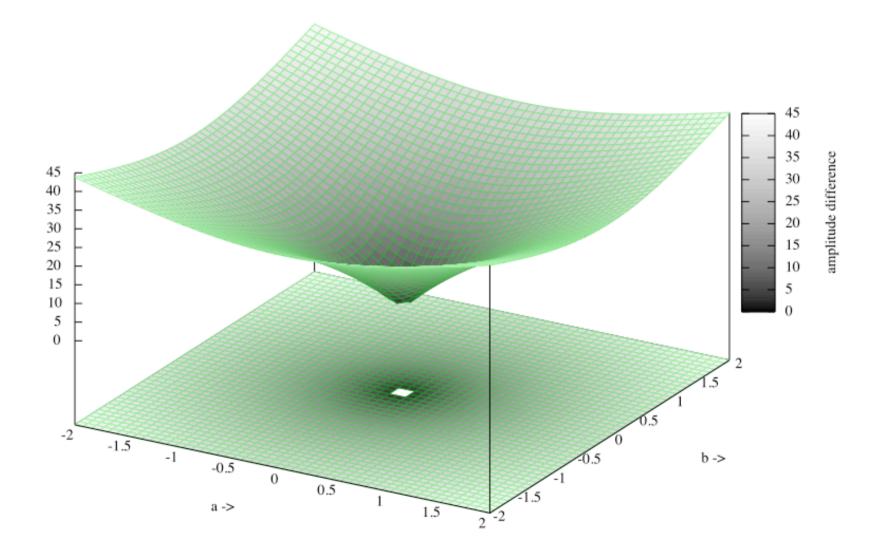
Coupled oscillators





Coupled oscillators







• Energy balanced couplings:

$$\begin{cases} \tau \dot{x}_{i} = v_{i} \\ \tau \dot{v}_{i} = -\alpha \frac{x_{i}^{2} + v_{i}^{2} - E_{i}}{E_{i}} v_{i} - x_{i} + \sum_{j} \left(r_{ij} \cdot \left(\frac{\cos(\xi_{ij}) x_{j} + \sin(\xi_{ij}) v_{j}}{\sqrt{x_{j}^{2} + v_{j}^{2}}} - \frac{v_{i}}{\sqrt{x_{i}^{2} + v_{i}^{2}}} \right) \right) \\ \left(\tau \dot{x}_{i} = v_{i} \right) \end{cases}$$

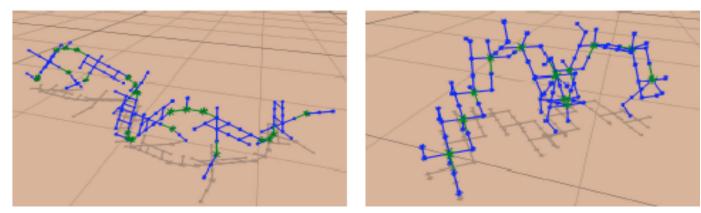
$$\begin{cases} \tau \dot{v}_i = -\alpha \frac{x_i^2 + v_i^2 - E_i}{E_i} v_i - x_i + \sum_j \left(\frac{a_{ij} x_j + b_{ij} v_j}{\sqrt{x_j^2 + v_j^2}} - \sqrt{a_{ij}^2 + b_{ij}^2} \frac{v_i}{\sqrt{x_i^2 + v_i^2}} \right) \end{cases}$$

- The coupling term represents the phase error
- Asynchronous distributed and *reliable* control possible
- Analytical proof that the oscillators converge to a sine
- Possibility to set desired phases and amplitudes
- => The same set of parameters as harmonic oscillators!





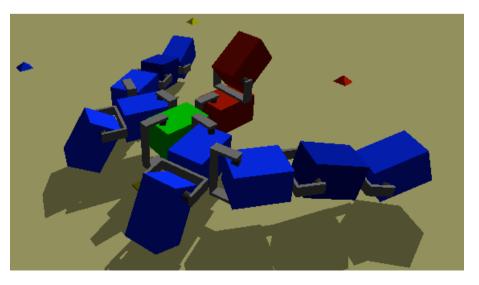
- Co-evolution of configuration and control
 - Bio-inspired
 - MRs are meant to operate in many different configurations
 - Manual design of configurations is not scalable
- Previous research
 - Evolutionary motion synthesis method for M-TRAN
 - Automatic locomotion pattern generation for M-TRAN
 - Artificial life: Sims block creatures, Hornby, and many others.







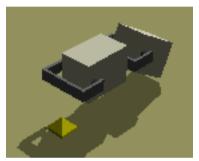
- Encoding the configurations of YaMoR robots
 - Tree: Nodes represent modules and links physical connections
 - Male / female connection scheme. Advantages:
 - The only free lever is the one of the head
 - The control algorithm is simplified
 - The implementation is simplified
 - The GA benefits from a smaller phenotype space







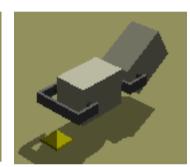
• Orientations and docking positions

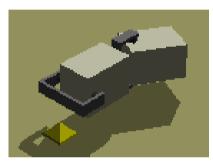


NORTH



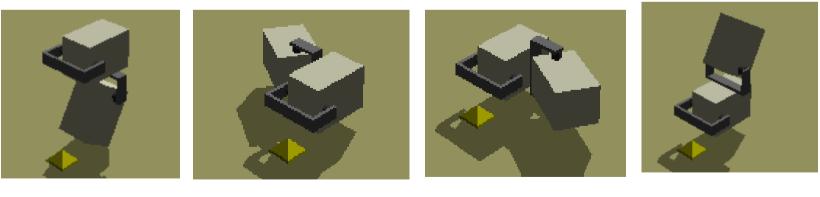
EAST





SOUTH

WEST



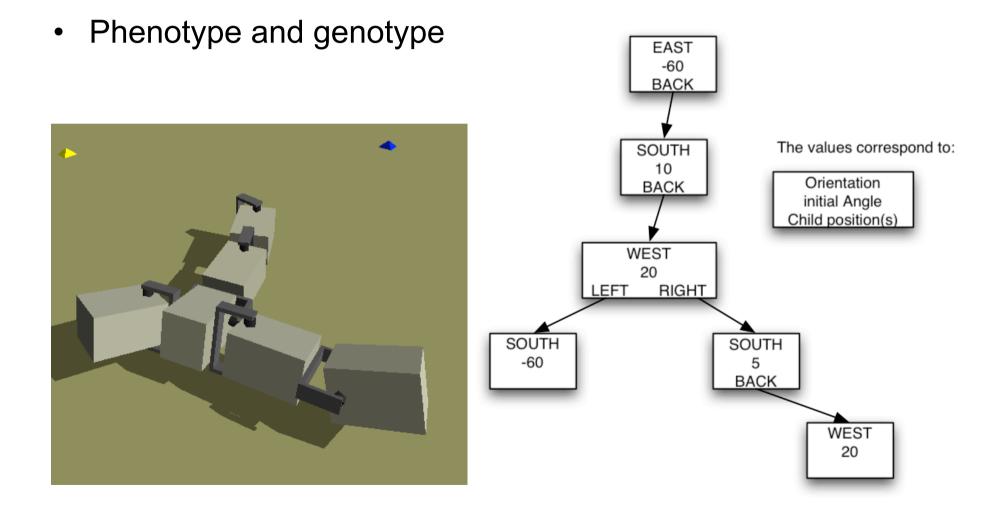
DOWN

LEFT

RIGHT

UP







• Structural parameters

| Parameter | Range | Description |
|----------------------|----------------------------|---------------------------------------|
| Orientation | {NORTH, EAST, SOUTH, WEST} | The orientation of the module |
| Initial angle | [-pi/2, pi/2] | The initial angle of the hinge joint. |
| Child position(s) | {BACK, LEFT,, DOWN} | The docking position for every child |

• Control parameters of a harmonic oscillator

| Parameter | Range | Description |
|-----------|---------------|---|
| IS_RIGID | {true, false} | Determines if the module is rigid or not. |
| А | (0, π/2] | The amplitude. |
| phi | [0, 2π] | The phase. |

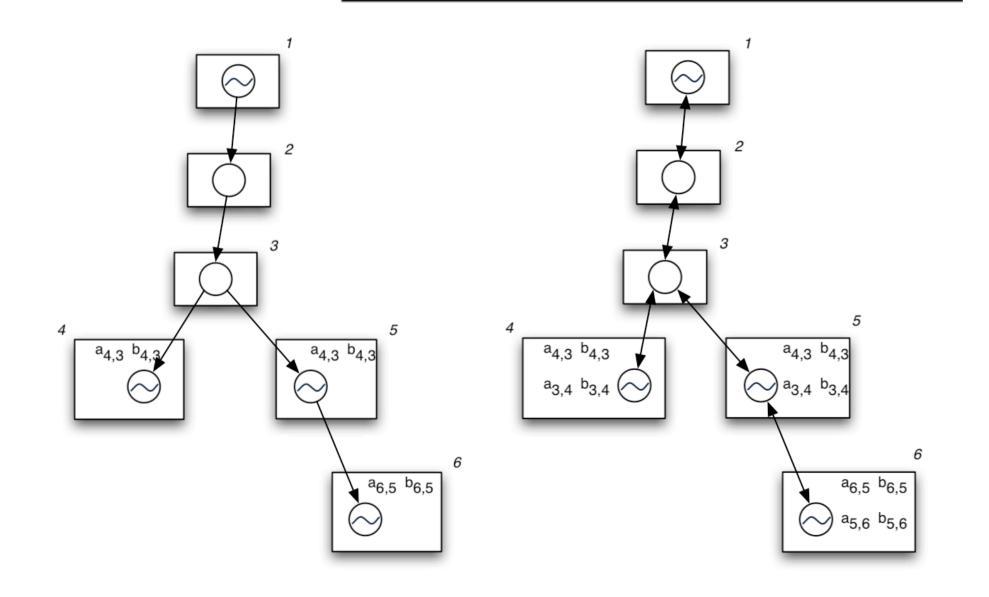




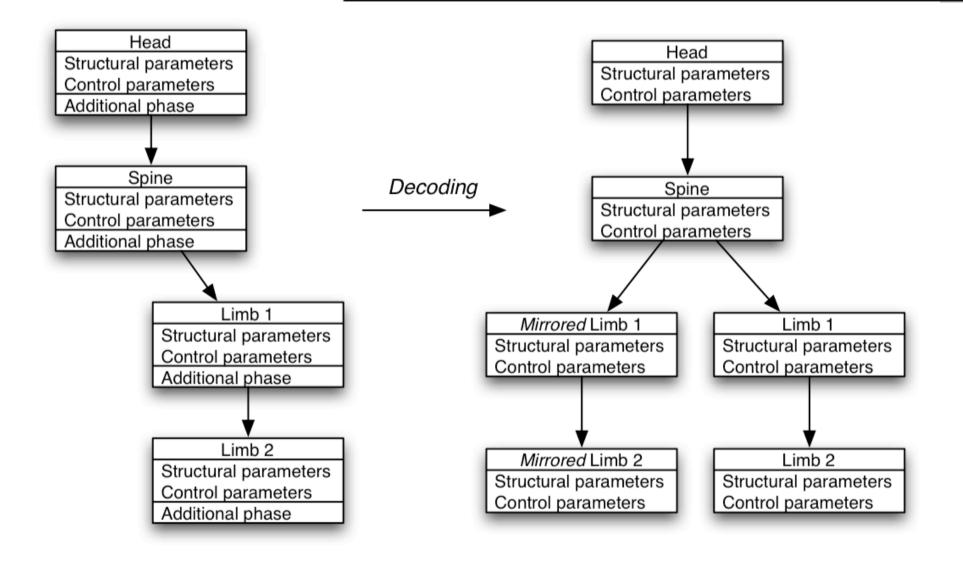
• Free parameters of a coupled nonlinear oscillator

| Parameter | Range | Description |
|-----------|---------------|---|
| IS_RIGID | {true, false} | Determines if the module is rigid or not. |
| E | (0, pi/4] | The energy parameter of the nonlinear oscillator. |
| a_ij | [-2, 2] | The weights of the coupling from the parent to this oscillator. |
| b_ij | [-2, 2] | |
| a_ji | [-2, 2] | The weights of the coupling from this oscillator to the parent (<i>only for bidirectional couplings with four free parameters</i>). |
| b_ji | [-2, 2] | |













- Simple but effective fitness function: Distance from the starting point after a certain amount of time.
- Mutation
 - Change parameter value
 - Delete a sub tree or 'grow' a new node
 - Switch two sub trees or two modules
- Crossover
 - Single point crossover by swapping sub trees
 - Swap identical sub trees if the parents are similar
- GAs: Incremental, steady state, migrating populations
- Rank-proportional roulette wheel selection



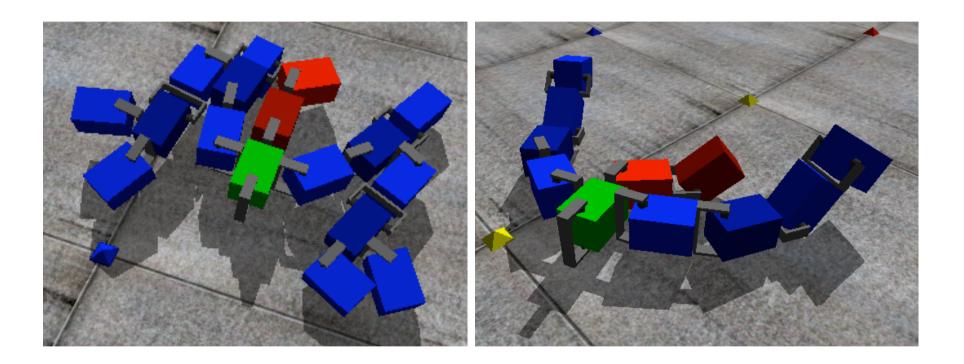
- Results
 - An evolutionary run takes about two hours on a high-end PC
 - Bidirectional couplings don't perform well
 - Incremental GAs with small / medium populations perform best
 - Symmetric encoding evolves fitter and more complex robots in shorter time. Averages of 15 GAs:

| Encoding | Evaluations | Max. fitness |
|-----------|-------------|--------------|
| General | 2435.66 | 2.74 |
| Symmetric | 2208.21 | 2.91 |

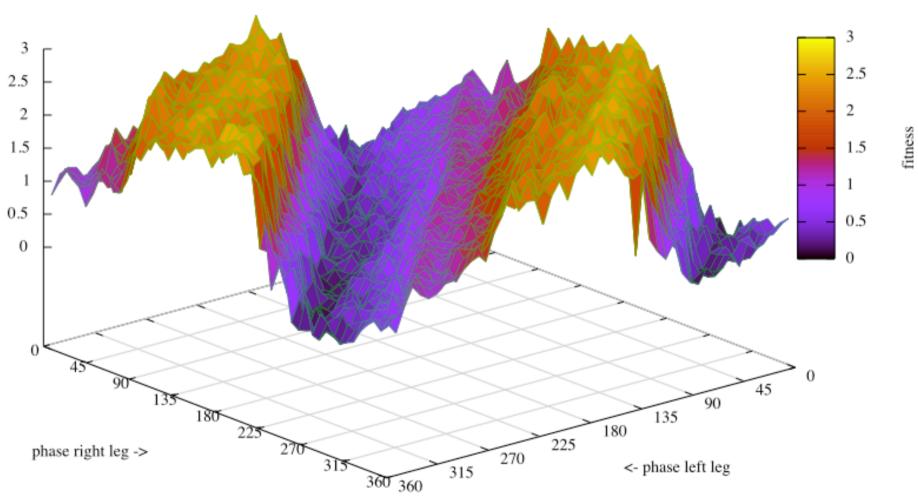


- Quick Online Optimization of Locomotion (QOOL)
 - Optimization of multiple degree of freedom robot locomotion
 - Quadratic convergence to a local optimum
 - In contrast: Heuristic optimization algorithms (previous research)
- Applications
 - Optimization from scratch
 - Adaptation of a gait to changing environmental constraints
- Fitness function
 - Distance from the starting point after three periods
 - One must detect stabilization of the mechanical dynamics before starting fitness evaluation
 - Analyze average speed of each module

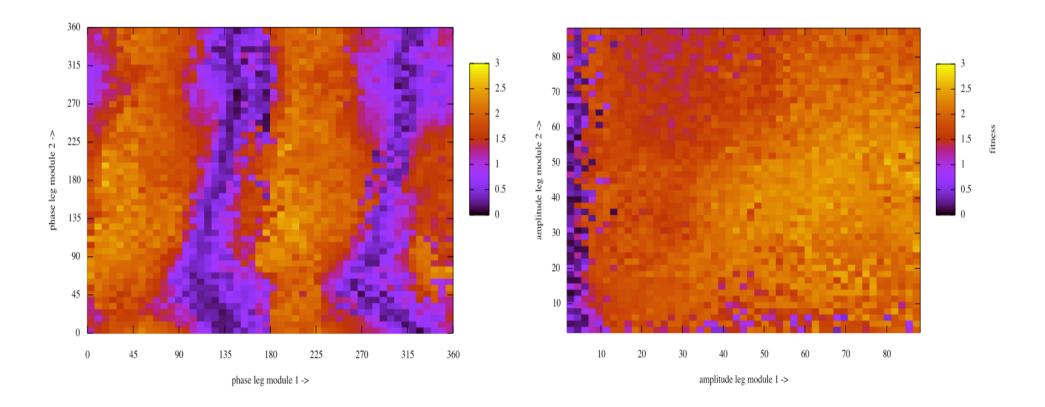




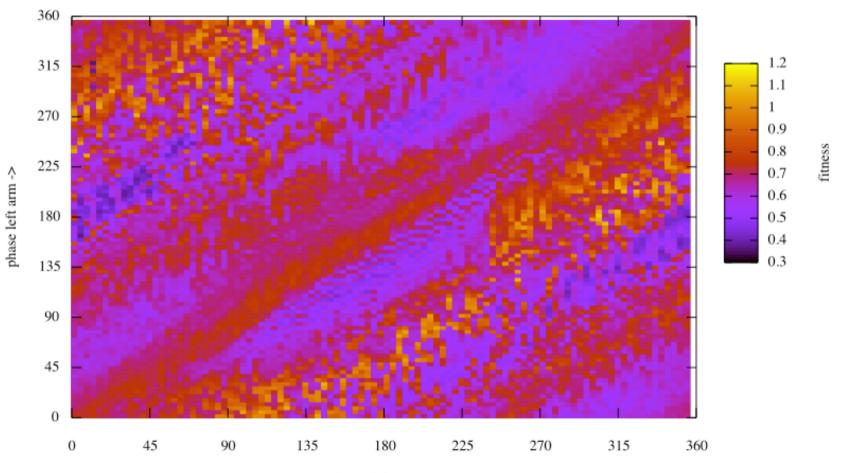








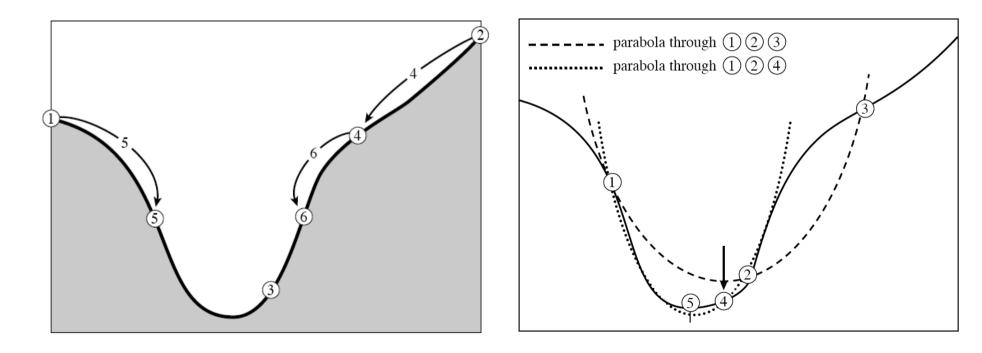




phase right arm ->



- Brent's method for one-dimensional optimization
 - Golden section search + parabolic interpolation
 - Quadratic convergence

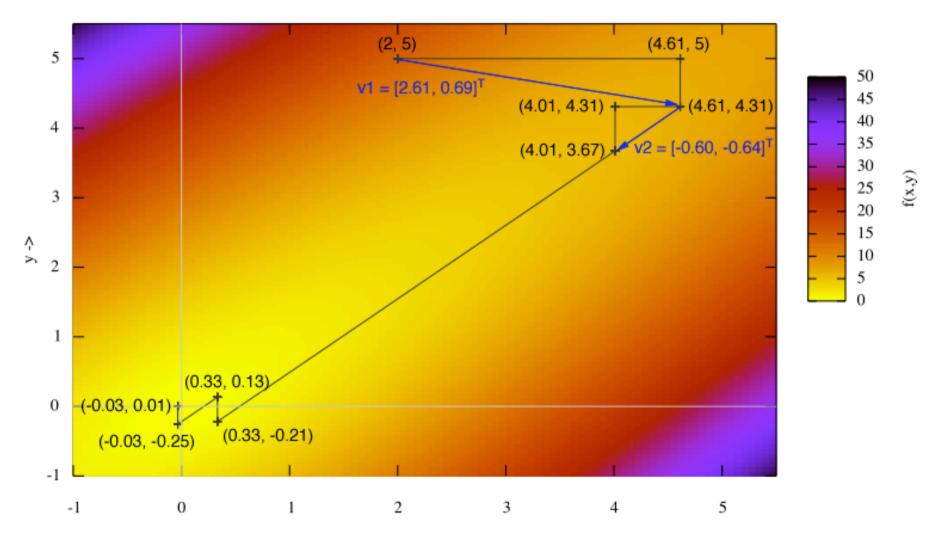




- Powell's method for multidimensions
 - Direction-set method
 - Succeeding line minimizations through P in direction n
 - Line minimization: Optimize the g with Brent's method $g(\lambda) = f(\mathbf{P} + \lambda \mathbf{n})$
 - Example: Minimization of

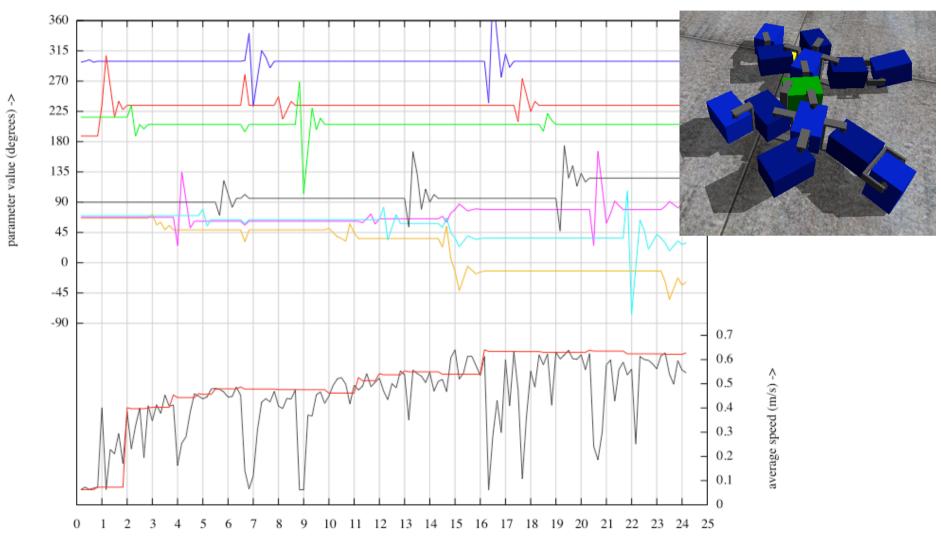
$$f(\mathbf{x}) = |\mathbf{x}| + \sum_{i=1}^{N} (x_i - x_{i-1})^2$$



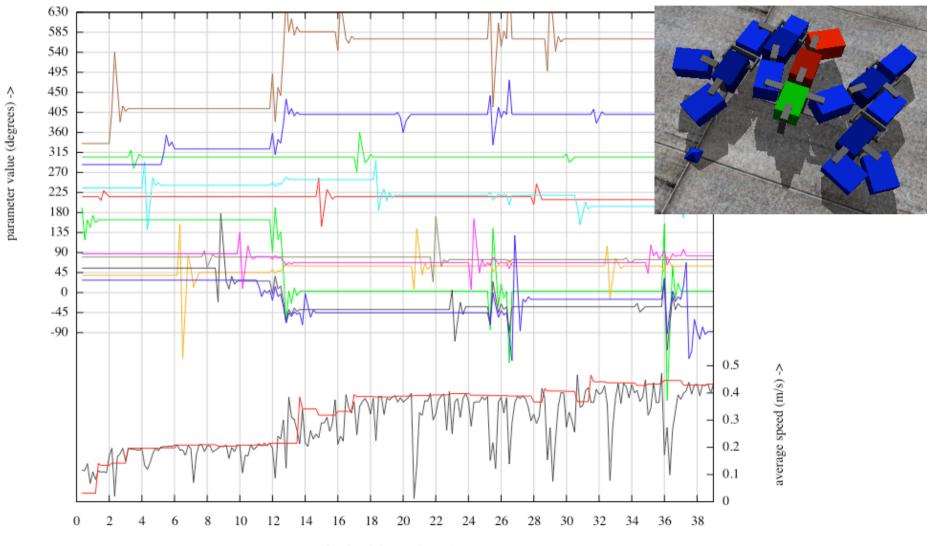


x ->









simulated time (minutes) ->





- Phase prediction and energy balanced couplings
 - Significant reduction of the parameter space
 - Distributed asynchronous and reliable control algorithm for MR
- Co-evolutionary algorithm
 - Symmetric encoding outperforms the general encoding
 - Robots are more complex than those of previous research
 - The locomotion gaits are more elegant and sophisticated than those of other chain-type robots in previous research
- QOOL online optimization
 - New approach to online optimization or adaptation of locomotion
 - Extremely fast

Future work



- Co-evolution
 - Use L-systems for a generative encoding
- QOOL
 - Test online adaptation with changing environmental constraints
 - Include initial angles in the optimization
- Transfer to the YaMoR hardware...
- Modular robot control
 - Include sensory feedback
 - Design a higher level controller



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> Daniel Marbach daniel.marbach@epfl.ch http://birg.epfl.ch/page32031.html